

### Programme Specification

1	<b>Awarding body</b>	University of London				
2	<b>Teaching Institution</b>	<b>Birkbeck College</b>				
3	<b>Programme Title(s)</b>	<b>Diploma of Higher Education Mathematics</b>				
4	<b>Programme Code(s)</b>	UDHMTHMT_C				
5	<b>UCAS code</b>	N/A				
6	<b>Home Department</b>	Economics, Mathematics and Statistics				
7	<b>Exit Award(s)</b>	Cert HE				
8	<b>Duration of Study (number of years)</b>	3				
9	<b>Mode of Study</b>	FT		PT	✓	DL
10	<b>Level of Award (FHEQ)</b>	5				
11	<b>Other teaching depts or institution</b>	N/A				
12	<b>Professional, Statutory Regulatory Body(PSRB) details</b>	N/A				
13	<b><a href="#">QAA Benchmark Group</a></b>	Mathematics, Statistics and Operational Research				

14	<b>Programme Rationale &amp; Aims</b>
	<p>The Diploma of Higher Education in Mathematics (Dip HE) is aimed at students with an A-level or equivalent in mathematics who wish to acquire some university level mathematics but are not willing or able to commit to a full four year BSc programme. This award has the advantage that its first year can be completed by studying for 2 evenings a week rather than the 3 evenings usually required on BSc programmes, so it is a less fast-paced introduction to higher education. (Alternatively you may continue studying for 2 evenings a week to complete the Diploma in 4 years.)</p> <p>A main aim of introducing this programme is to provide more flexible provision at undergraduate level.</p> <p>Distinctive features: Part-time, evening, face to face study. Regular coursework forms a part of all modules, to further develop independent learning. Completion would allow a flexible entry route into year 3 of an appropriate BSc programme at Birkbeck.</p>

15	<b>Entry Criteria</b>
	<p>Applicants who have recently studied for qualifications require a minimum of two A-levels, or the equivalent. We welcome applicants without traditional entry qualifications as we base decisions on our own assessment of qualifications, knowledge and previous work experience. We may waive formal entry requirements based on judgement of academic potential.. A-level mathematics, or the equivalent, is desirable, but not essential. Applicants without such a qualification are required to pass an entrance test.</p>

16	<p><b>Learning Outcomes</b></p> <p><i>On completion of the first 120 credits (Cert HE Mathematics) the learning outcomes are as follows.</i></p> <p><b>Subject Specific</b></p> <ul style="list-style-type: none"> <li>• LO1 Knowledge and understanding of, and the ability to use, mathematical and/or statistical techniques.</li> <li>• LO2 Knowledge and understanding of a range of results in mathematics.</li> <li>• LO3 Appreciation of the power of generalization and abstraction in the development of mathematical theories.</li> </ul> <p><b>Intellectual</b></p> <ul style="list-style-type: none"> <li>• LO4 Develop a logical and systematic approach to problem solving.</li> </ul> <p><b>Practical</b></p> <ul style="list-style-type: none"> <li>• LO5 Problem-solving skills, including the ability to assess problems logically and to approach them analytically.</li> <li>• LO6 Highly developed quantitative skills</li> </ul> <p><b>Personal and Social</b></p> <ul style="list-style-type: none"> <li>• LO7 Ability to work independently with patience and persistence.</li> <li>• LO8 Time-management and organizational skills.</li> <li>• LO9 Good communication skills, including the ability to write coherently.</li> <li>• LO10 Ability to complete work in a limited time period.</li> </ul> <p><i>On completion of the full DIP HE MATHEMATICS a student will ADDITIONALLY be expected to be able to:</i></p> <p><b>Subject Specific</b></p> <ul style="list-style-type: none"> <li>• LO11 Appreciation of the need for proof in mathematics, and the ability to follow and construct mathematical arguments.</li> <li>• LO12 Awareness of the use of mathematics and/or statistics to model problems in the natural and social sciences, and the ability to formulate such problems using appropriate notation.</li> <li>• LO13 Understand the importance of assumptions and an awareness of where they are used and the possible consequences of their violation.</li> <li>• LO14 Ability to present, analyse and interpret data.</li> <li>• LO15 Knowledge and understanding of the processes and limitations of mathematical approximation and computational mathematics.</li> <li>• LO16 Knowledge and understanding of a range of modelling techniques, their conditions and limitations, and the need to validate and revise models.</li> <li>• LO17 A deeper knowledge of some particular areas of mathematics.</li> </ul>
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	<ul style="list-style-type: none"> <li>• LO18 Ability to use a modern mathematical and/or statistical computer package.</li> </ul> <p><b>Intellectual</b></p> <ul style="list-style-type: none"> <li>• LO19 Ability to comprehend conceptual and abstract material.</li> </ul> <p><b>Practical</b></p> <ul style="list-style-type: none"> <li>• LO20 Ability to transfer knowledge and expertise from one context to another.</li> <li>• LO21 Ability to use a range of software packages including word processing and spreadsheets.</li> </ul>
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17	<p><b>Learning, teaching and assessment methods</b></p> <p>Teaching sessions are usually lectures which present both theory and worked examples. Detailed course notes, problems and worked solutions are provided to accompany lectures on each course. This facilitates the independent study necessary to understand and assimilate the material. Regular coursework and a variety of assessment methods are also designed to be formative and promote learning. Individual tutorials are available on request, and students may also consult staff by telephone and email.</p> <p>The methods of assessment used are:</p> <ul style="list-style-type: none"> <li>Unseen 3 hour examinations in June.</li> <li>Assessed assignments.</li> <li>Short in-class tests.</li> </ul> <p>For most modules 80% of the assessment comes from unseen examinations in June. This allows time for students to assimilate the material and develop a thorough understanding of the course curriculum. The 20% contribution from coursework enables students to get practice in tackling and solving problems independently, without the time pressure of examinations, and gives staff an opportunity to give relevant feedback. The majority of our modules have four pieces of assessed coursework. This allows more frequent feedback to students at the start of their university careers and is particularly appropriate for Cert HE and Dip HE students.</p> <p>The range of assessments, and the type of questions and problems set within examinations and assignments are structured to balance theory and practice, to address the individual learning outcomes and to discriminate between different levels of achievement. However, the assessment strategy recognizes that students may exhibit very different aptitudes and abilities in different aspects of the course and in different forms of assessment. This is particularly relevant to Birkbeck students who vary considerably in terms of academic background, prior work experience, current career and future career plans. The assessment strategy is therefore designed to: (i) ensure a good coverage of the curriculum and address the range of learning outcomes, (ii) perform an on-going formative function via the theoretical and practical assignments associated with all course modules; (iii) give all students the opportunity to demonstrate their strengths and show what they can do well.</p>
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	<p>The regulations governing awards follow the CAS regulations. In particular, a student must pass 120 credits to gain the award. Students take 60 credits of core modules at level 4 in year 1. In Year 2, they choose 60 further option modules at level 4 or 5. The usual recommendation would be for these modules to be the level 4 ones, but we have included two level 5 options for added flexibility.</p> <p>Both the external and the second internal examiner normally scrutinize all examination papers before they are finalized. Exams and Essays are all double marked. Coursework is marked by the first examiner and moderated by the second internal examiner. All marks are moderated by the External Examiner, who is invited to comment on the suitability of the assessment methods, criteria and procedures. These comments influence any changes that are recommended at the programme review meeting.</p>
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18	<p><b>Programme Description</b></p> <p>This programme is designed for students with an A-level or equivalent in mathematics. The first year is devoted to algebra and calculus, to give you a thorough grounding in these two essential parts of the mathematical toolkit. You will complete two 30-credit modules. In your second and third years you will move up to studying three 30-credit modules, covering more calculus, probability and statistics and pure mathematics (such as methods of proof and abstract algebra) and a choice of modules taken from the BSc Mathematics programme. You will meet with the programme director before the start of the academic year and decide on a suitable programme of study based on your interests and experience. Each module runs through the year, with final exams being in the May/June exam period.</p>
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19	<p><b>Programme Structure</b></p>			
<b>Year 1</b>				
<b>Level</b>	<b>Module Code</b>	<b>Module Title</b>	<b>Credits</b>	<b>Status*</b>
4	EMMS096S4	Calculus 1: Single Variable	30	Core
4	EMMS097S4	Algebra 1: Techniques & Applications	30	Core
<b>Year 2</b>				
<b>Level</b>	<b>Module Code</b>	<b>Module Title</b>	<b>Credits</b>	<b>Status*</b>
4	BUEM096S4	Numbers, Proofs and Counting	30	compulsory
4	option	Indicative list below	30	option
5	option	Indicative list below	30	option
<b>Year 3</b>				
<b>Level</b>	<b>Module Code</b>	<b>Module Title</b>	<b>Credits</b>	<b>Status*</b>
5	option	Indicative list below	30	option
5	option	Indicative list below	30	option
5/6	option	Indicative list below (students may take at most ONE level 6 option with approval of programme director)	30	option

Indicative list of options*				
4	BUEM099S4	Explorations in Mathematics	30	option
4	-	At most 30 credits of modules in another subject area	30	option
5	BUEM001S5	Calculus 2	30	option
5	EMMS098S5	Probability and Statistics	30	option
5	BUEM100S5	Number Theory and Cryptography	30	option
5	BUEM101S5	Algebra 2	30	option
6	BUEM102S6	Algebra 3	30	option
6	BUEM103S6	Analysis	30	option
6	BUEM104S6	Ordinary Differential Equations	30	option
6	BUEM105S6	Finite Mathematics	30	option
6	BUEM106S6	Approximation: Theory and Methods	30	option
6	BUEM003S6	Statistics: Theory and Practice	30	option
*Note: Not all level 6 modules run every year; this is an indicative list only.				

**Status\***

*CORE* – Module must be taken and passed by student; *COMPULSORY* – Module must be taken, mark can be reviewed at sub-exam board; *OPTIONAL* – Student can choose to take this module

20	<b>Regulations</b> <ul style="list-style-type: none"> <li>• <b>Admissions</b> This programme adheres to the College Admissions Policy: <a href="http://www.bbk.ac.uk/registry/policies/documents/admissions-policy.pdf">http://www.bbk.ac.uk/registry/policies/documents/admissions-policy.pdf</a></li> <li>• <b>Credit Transfer</b> Accredited Prior Learning will be considered in line with the College Policy on Accredited Prior Learning <a href="http://www.bbk.ac.uk/registry/policies/documents/accreditation-prior-learning.pdf">http://www.bbk.ac.uk/registry/policies/documents/accreditation-prior-learning.pdf</a></li> <li>• <b>Programme Regulations</b> This programme adheres to the College Common Awards Scheme <a href="http://www.bbk.ac.uk/registry/policies/regulations">http://www.bbk.ac.uk/registry/policies/regulations</a></li> <li>• <b>Programme Specific Regulations (or not applicable)</b> N/A</li> </ul>
21	<b>Student Attendance Framework – in brief</b> <p>The full version of the ‘Student Attendance Framework’ is available <a href="http://www.bbk.ac.uk/mybirkbeck/services/rules/Attendance-Framework.pdf">http://www.bbk.ac.uk/mybirkbeck/services/rules/Attendance-Framework.pdf</a> .</p> <p><b>Principle</b> Consistent and regular student attendance in class (or equivalent) promotes and affords student success. Inconsistent and irregular attendance is less likely to result in student success and is consistent with lower marks and degree classifications being achieved and awarded.</p> <p><b>Attendance expectation</b></p>

	<p>Birkbeck, University of London expects you to consistently attend all timetabled sessions, including lectures, seminars, group and individual tutorials, learning support sessions, workshops, laboratories, field trips, inductions and demonstrations.</p> <p><b>E-Registers</b>          All Birkbeck students are issued with student cards. Students are expected to take them to classes and to assessment venues and to present them to a member of staff if requested. This is for the purpose of identifying Birkbeck students.</p>	
22	<b>Student Support and Guidance</b>	
	<p>All Birkbeck students have access to a range of student support services, details can be found on our website here: <a href="http://www.bbk.ac.uk/mybirkbeck/services/facilities">http://www.bbk.ac.uk/mybirkbeck/services/facilities</a></p>	
23	<b>Methods of Enhancing Quality and Standards</b>	
	<p>The College has rigorous procedures in place for the monitoring and enhancing its educational provision. This includes regular monitoring of programmes drawing on feedback from various sources including external examiner's reports, student feedback, student achievement and progression data. In addition, departments are reviewed every four to five years through the internal review process that includes external input. For more information please see the Academic Standards and Quality website <a href="http://www.bbk.ac.uk/registry/about-us/operations-and-quality">http://www.bbk.ac.uk/registry/about-us/operations-and-quality</a></p>	
24	<b>Programme Director</b>	Andrew Bowler
25	<b>Start Date</b> ( <i>term/year</i> )	Autumn 2010
26	<b>Date approved by TQEC</b>	Spring 2010
27	<b>Date approved by Academic Board</b>	Summer 2010
28	<b>Date(s) updated/amended</b>	7 October 2020